

# Capacitors

Session 2d of “Basic Electricity”  
A Fairfield University E-Course  
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# Basic Electricity

## Two Sections

- Electron Flow and Resistance
  - 5 on-line sessions
  - Lab
- Inductance and Capacitance
  - 5 on-line sessions
  - Lab

## *Mastery Test, Part 1*

# Basic Electricity (Continued)

- **Text:** “Electricity One-Seven,” Harry Mileaf, Prentice-Hall, 1996, ISBN 0-13-889585-6 (Covers several Modules and more)
- **References:**
  - “Digital Mini Test: Principles of Electricity Lessons One and Two,” SNET Home Study Coordinator, (203) 771-5400
  - [Electronics Tutorial](#) (Thanks to Alex Pounds)
  - [Electronics Tutorial](#) (Thanks to Mark Sokos)
  - [Basic Math Tutorial](#) (Thanks to George Mason University)
  - [Vector Math Tutorial](#) (Thanks to California Polytec at [atom.physics.calpoly.edu](http://atom.physics.calpoly.edu) )

## Section 2:

# AC, Inductors and Capacitors

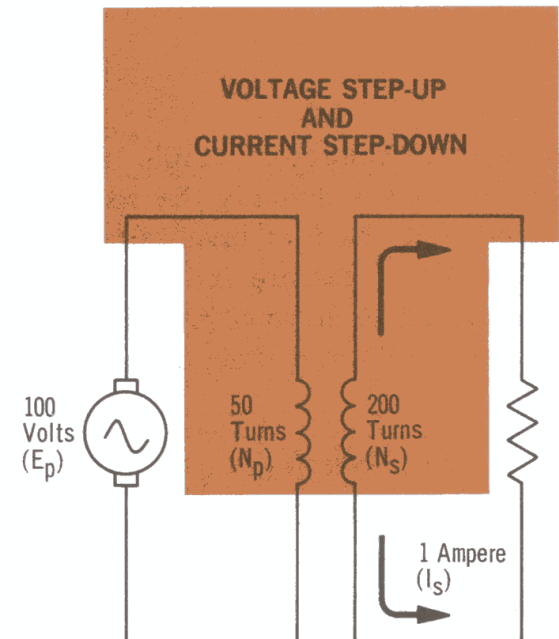
- **OBJECTIVES:** This section introduces AC voltage / current and additional circuit components (inductors, transformers and capacitors).

# Section 2 Schedule:

Session 2a	– 03/27	Alternating Current & Sine Waves	Text 3.1 – 3.41
Vector Math	– 04/01	Sine Waves, Magnitude, Phase and Vectors	Text 4.1 – 4.24
Session 2b (Fri. Q&A session)	– 04/03	Inductors and Circuits	Text 3.42 – 3.73
Session 2c	– 04/08	Transformers	Text 3.74 – 3.100
<b>Session 2d</b> <b>(lab - 04/13, Sat.)</b>	<b>– 04/10</b>	<b>Capacitors</b>	<b>Text 3.101 – 3.135</b>
Session 2e	– 04/15	More Capacitors	Text 3.135 – 3.148
Session 2f	– 04/22	Review (Discuss Quiz_2)	

# Transformer Session Review

- Two or more “Mutually Coupled” coils
- Coupling Coefficient (k)
  - Perfect Coupling  $k=1$  -  $M = k * \sqrt{L_p * L_s}$
  - Real world  $k < 1$
- Power is Conserved (Losses?)  
 $M = k * \sqrt{L_p * L_s}$
- Turns Ratio
- Purpose
  - Change voltage /current ratios
  - Adjust “Impedances”



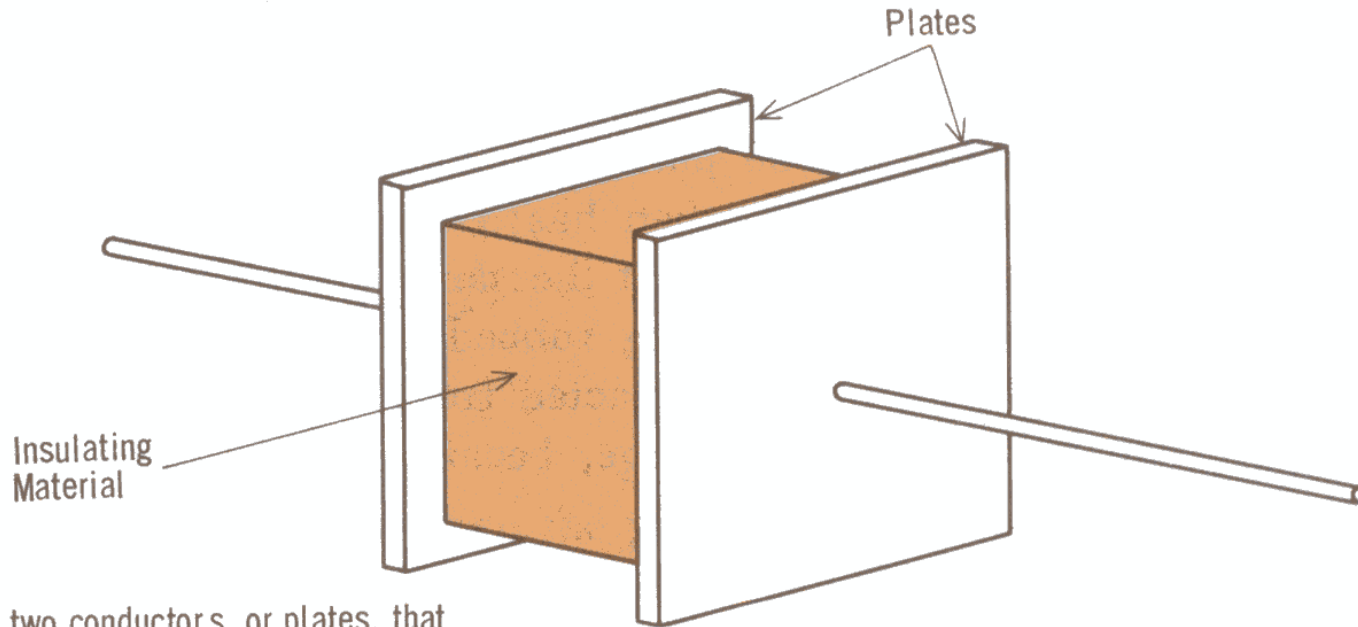
# Capacitor Symbol

**CAPACITORS** can alternately **STORE** and **RELEASE** electrical energy by means of an **ELECTROSTATIC FIELD**



This is the symbol and letter designation for capacitors

# Parallel Plate Capacitor

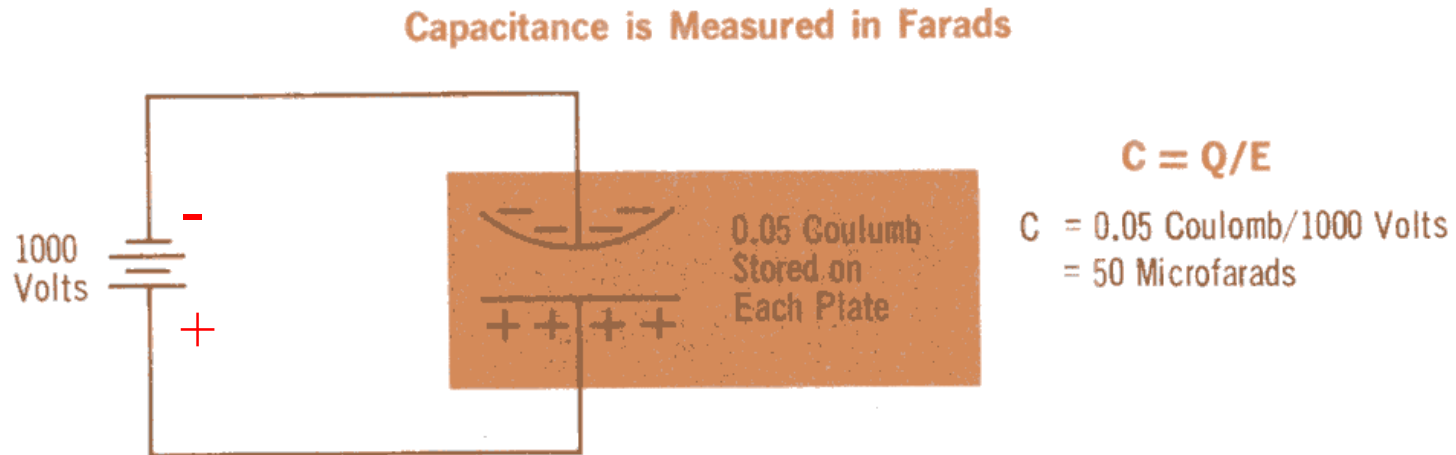


Any two conductors, or plates, that are separated by an insulating material can form a capacitor



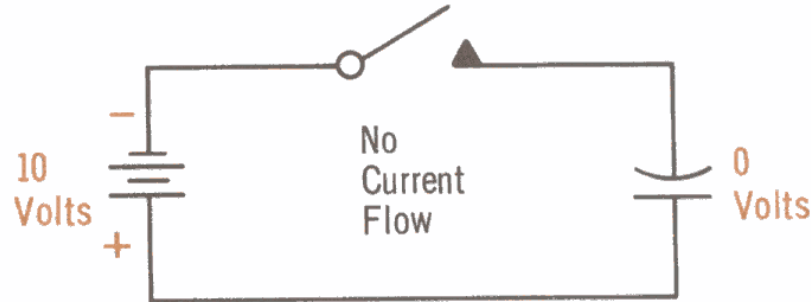
# Charge and Capacitance

- Capacitance –  $C = \text{Charge} / \text{Voltage}$

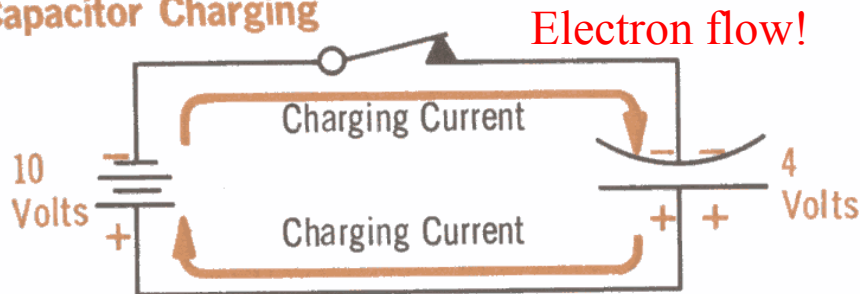


# Current Flow

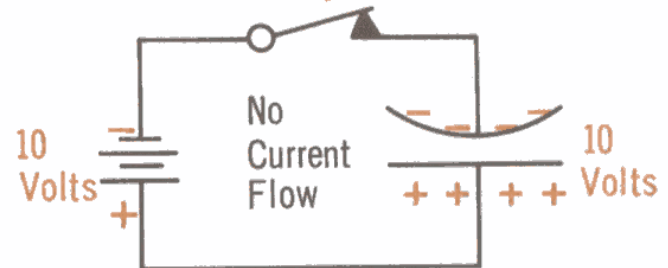
Open Circuit



Capacitor Charging



Capacitor Fully Charged

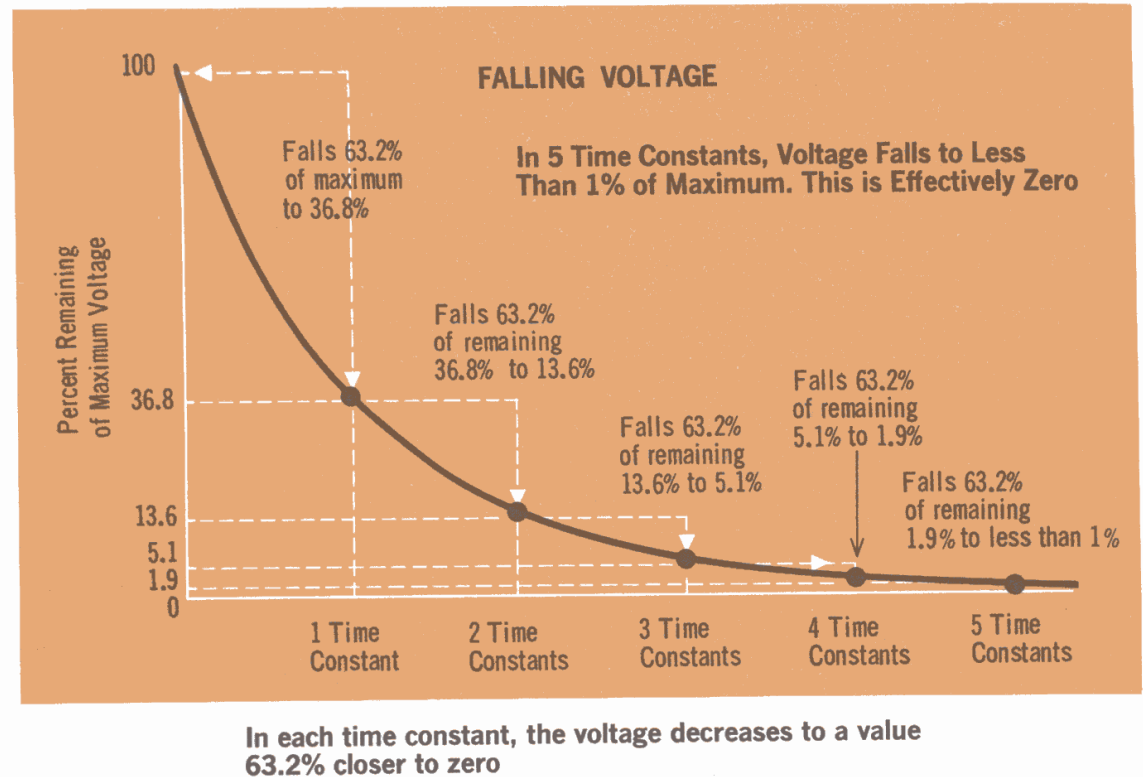


A capacitor charges until the voltage built up across it equals the applied voltage. When the two voltages are equal, the capacitor is fully charged, and current stops

For this reason, a capacitor can never be charged to a higher voltage than the source supplying the charging current

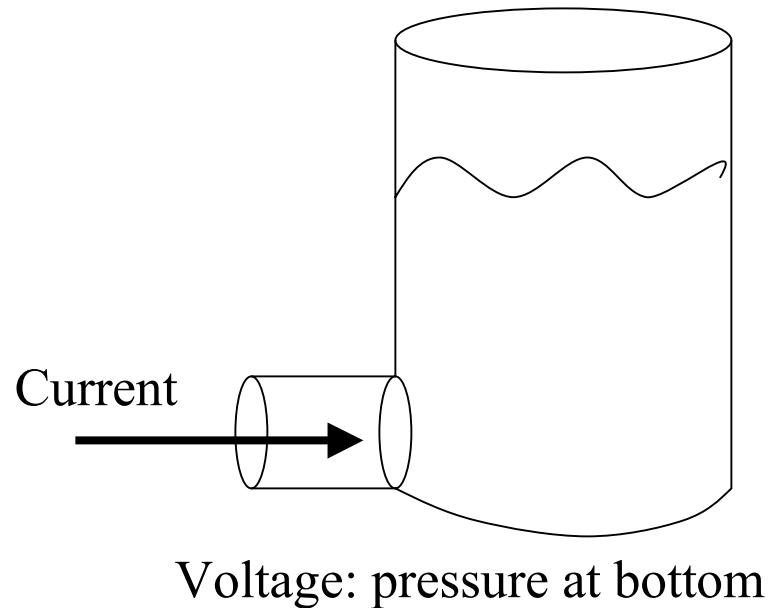
# RC Time Constant

- $\tau = R * C$
- Similar to Inductance
- role of voltage and current reversed
- Inductor and Capacitor are “Duals”



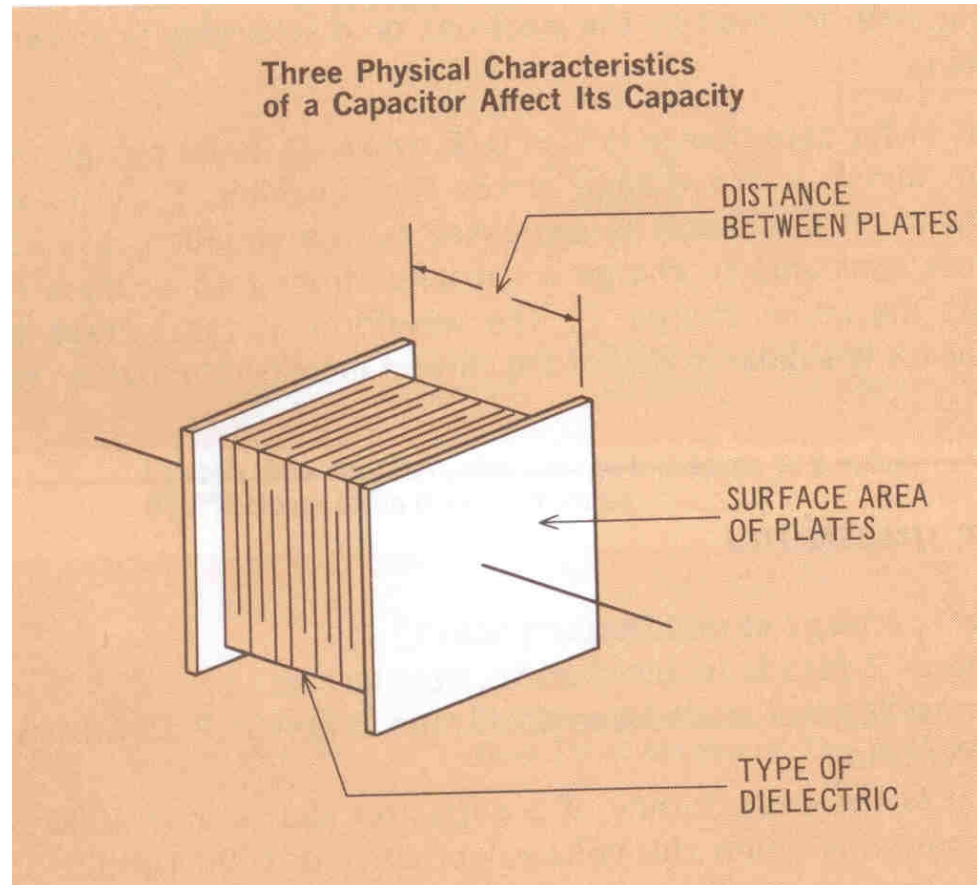
# Capacitor: The Water Model

- Charge: fill the bucket (Q)
- Discharge: empty the bucket
- Voltage: pressure fighting the filling current
- Capacity: how much “Q” the bucket holds at a given voltage
- Breakdown: too much pressure for the bucket (it bursts)



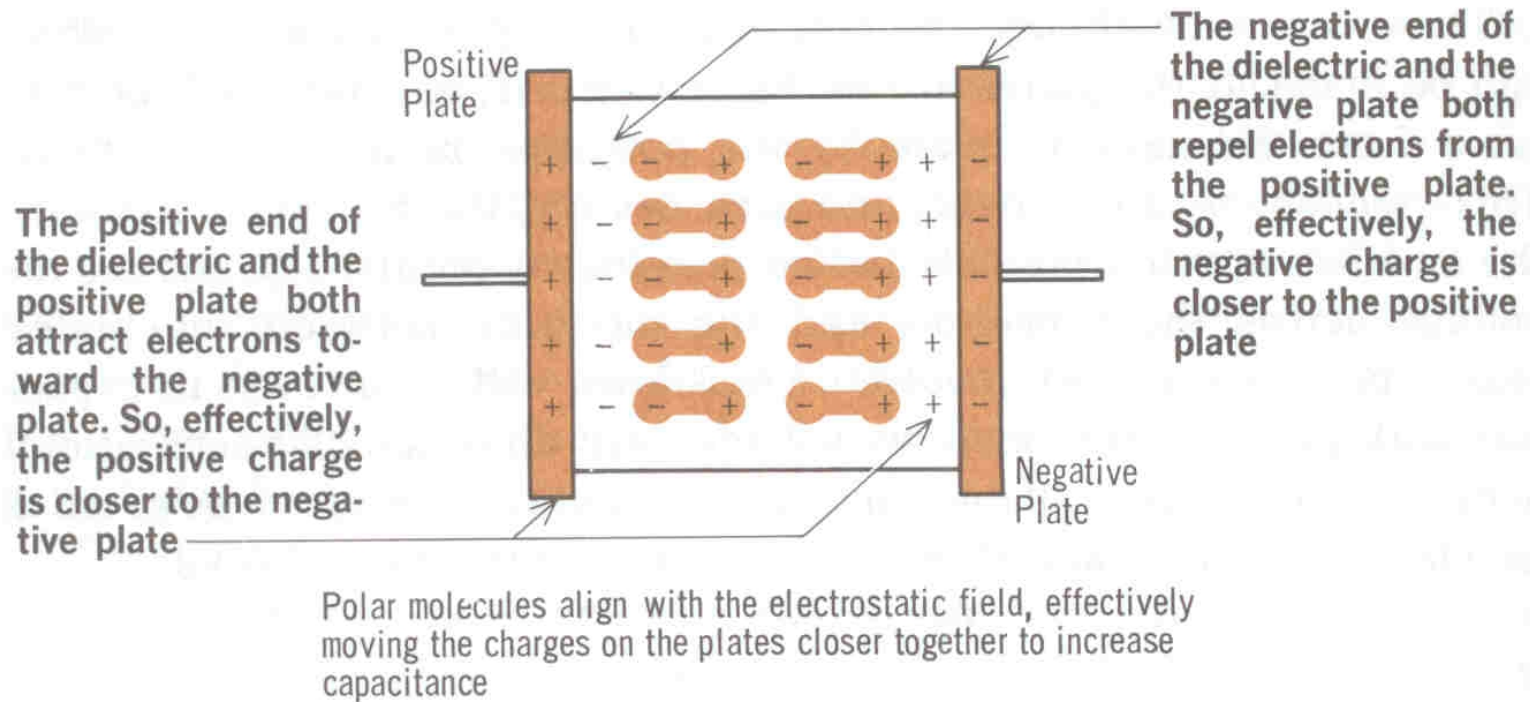
# Capacitor Value

- Larger Area –  
Larger C
- Larger distance –  
Lower C
- Higher “Dielectric  
Constant” –  
Higher C



# Dielectric Effect

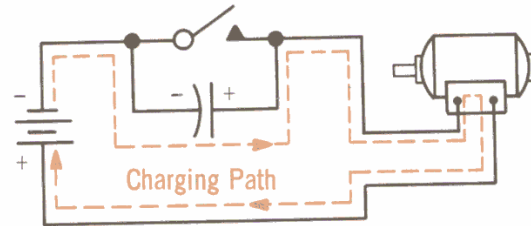
## *effect of the dielectric*



# Contact Protection: Inductive Load

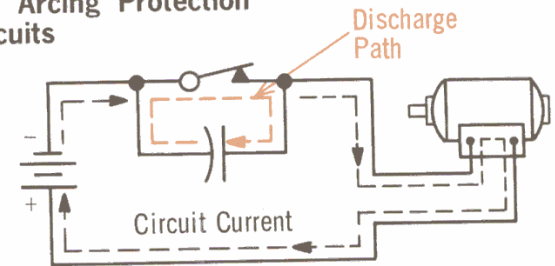
- Current surge kills contacts
- Current in Inductor keeps going
- Capacitor allows continuation
- Need a resistance to avoid surge on contact closure

Capacitors Can Provide Arcing Protection For Switches In D-C Circuits

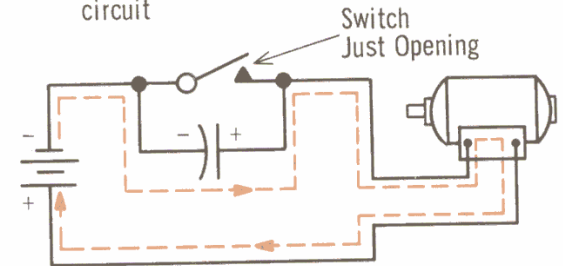


When the switch is open, the capacitor is charged to the source voltage

If it was not for the capacitor, at the instant the switch opened, the voltage across the switch contacts would exceed the dielectric strength of the small air mass between the open contacts. Arcing would then result. The capacitor, though, provides a low-resistance path around the contacts. The current, therefore, flows through the capacitor instead of across the air gap until the capacitor is charged

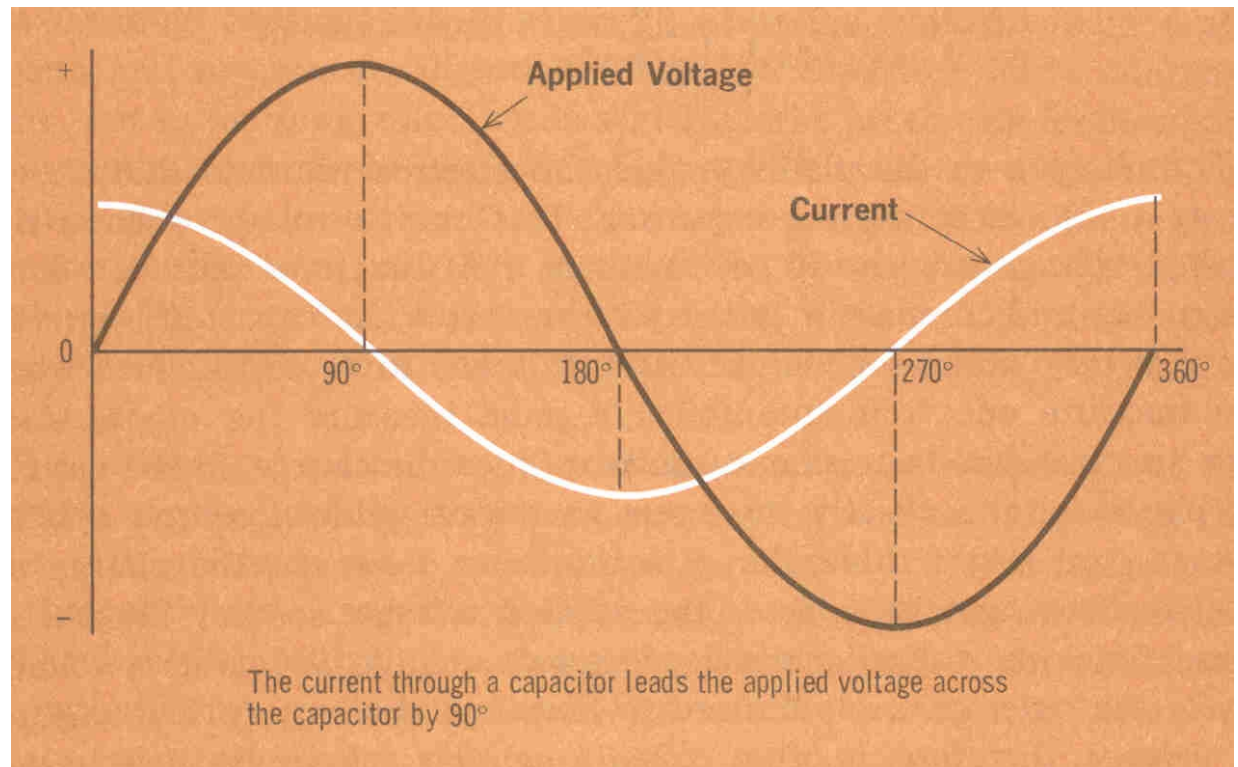


When the switch is closed, the capacitor discharges through the switch contacts. While the switch is closed, the capacitor stays in the discharged condition (both plates neutral), and has no effect since it is shorted out of the circuit



# AC and Phase

- ELI the ICE man
- Current Leads Voltage





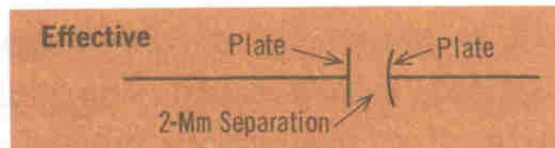
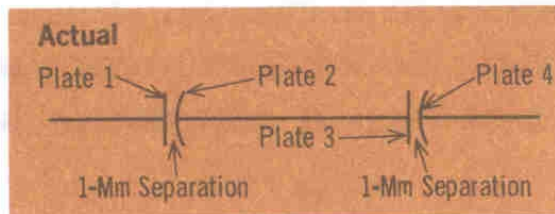
# Capacitor Reactance

- Similar to Inductive Reactance: Voltage and current are  $90^\circ$  out of phase
- Now Frequency and Capacitance make for a lower reactance.
- $X_c = 1 / (2 * \pi * f * C)$
- Again the magnitude of the reactance determines the magnitude of the current that flows for a given AC voltage

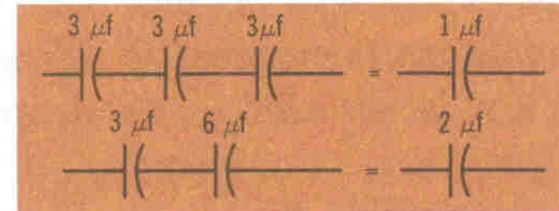
# Capacitors in Series

## *series capacitors*

### Putting Capacitors In Series Decreases Capacitance



Series capacitors act as a single capacitor with a separation between their plates equal to the sum of the separations of the individual capacitors. The total capacitance is, therefore, less than that of any of the individual capacitors



The total capacitance of series capacitors is calculated the same as the total resistance of parallel resistors. The reciprocal method:

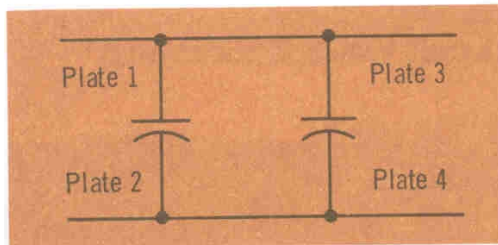
$$C_{TOT} = \frac{1}{\frac{1}{C_1} + \frac{1}{C_2} + \frac{1}{C_3} + \dots + \text{etc.}}$$

or any of the shorter, special methods can be used. The total capacitive reactance, though, is simply the sum of the individual reactances:

$$X_{C\ TOT} = X_{C1} + X_{C2} + X_{C3} + \dots + \text{etc.}$$

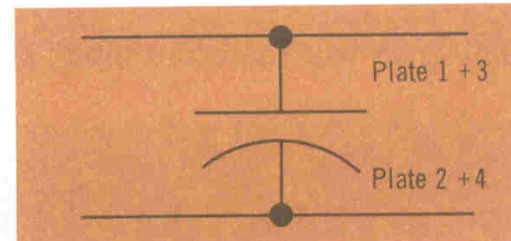
# Capacitors in Parallel

Actual

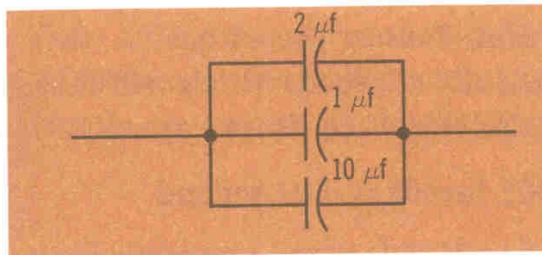


Parallel capacitors act as a single capacitor with a plate area equal to the sum of the plate areas of the individual capacitors

Effective



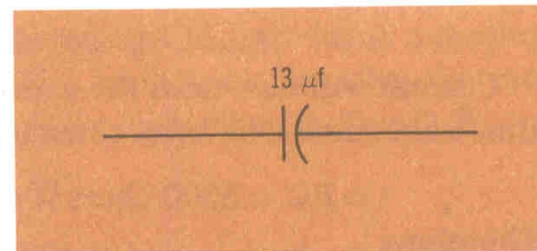
The total capacitance is, therefore, more than that of any of the individual capacitors



The total capacitance of parallel capacitors is equal to the sum of the capacitances of the individual capacitors:

$$C_{TOT} = C_1 + C_2 + C_3 + \dots + \text{etc.}$$

=



The total capacitive reactance, though, is found by treating the individual reactances as parallel resistances:

$$X_{C\ TOT} = \frac{1}{\frac{1}{X_{C1}} + \frac{1}{X_{C2}} + \frac{1}{X_{C3}} + \dots + \text{etc.}}$$

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