#### Session 4 Review

#### Session 4f of Basic Electricity A Fairfield University E-Course Powered by LearnLinc

#### **Section 4 Schedule:**

Session 4a	-07/08	Parallel L-C Circuits	Text 4.114 – 4.122
Session 4b	-07/10	Parallel R-L-C Circuits	Text 4.123 – 4.132
(break for a w Session 4c	-07/22	(no class on 07/15 or 07/17) Parallel Resonance	Text 4.133 – 4.146
Session 4d	-07/24	Tuning and Filters	Text 4.147 – 4.153
Session 4e	- 07/29	Resonant Transformers and Impedance Matching	Text 4.154 – 4.160
Oops, no class	s - 08/5-7		
Session 4f	- 08/12	Section 4 Review	
(Quiz 4 due 0	8/17)		
	08/17	Section 4 Lab	
Session 4g	- 08/19	Quiz 4 Review	
	-08/21	MT 2 Review	
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# Session 3 (Parallel L-C) Review

- Capacitive reactance  $X_C = 1/2\pi fC$  at -90°
- Inductive reactance  $X_L = 2\pi f L$  at 90°
- Impedances in parallel add as inverses
  - Adding Vectors
    - Separately add their horizontal and vertical components
    - Graphically: head-to-tail or parallelogram
    - Here the vectors are in opposite directions; they just subtract.
      - Inductive reactance points up (90°)
      - Capacitive reactance points down (-90°)
  - Multiplying Vectors
    - Multiply their magnitudes (lengths)
    - Add their phases
  - Dividing Vectors
    - Divide their magnitudes (lengths)
    - Subtract their phases
- Ohm's and Kirchoff's laws still work with AC

# (Parallel R-L-C) Review

- Capacitive reactance  $X_C = 1/2\pi fC$  at -90°
- Inductive reactance  $X_L = 2\pi f L$  at 90°
- Impedances in parallel add as inverses
- Break the problem down into two simple problems
  - First combine the Inductive and Capacitive branches
    - Here the vectors are in opposite directions; they just subtract.
    - Inductive reactance points up (90°); the inverse points down
    - Capacitive reactance points down (-90°); the inverse points up
    - The larger of the two inverses dominates
  - Now add in the inverse of the resistive branch
    - Find the magnitude (lengths) by using the square root of the sum of squares
    - Find the phases as the angle who's tangent is the vertical / horizontal
- Now just invert again to get the total parallel impedance

# A Parallel RLC Example

• First invert the series RL  $1/Z_1 = 1/(50\angle 0^\circ + 200\angle 90^\circ)$   $= 1/[(50^2 + 200^2)^{\frac{1}{2}}\angle \arctan(200/50)]$  $= 1/[(50^2 + 200^2)^{\frac{1}{2}}\angle \arctan(200/50)]$ 



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 $Z_{t} = 833 \angle -14.4^{\circ}$ 

 $= 1/(206.2\angle 76^{\circ})$ 

 $= 0.00485 \angle -76^{\circ}$ 

 $1/Z_2 = 1/(200\angle -90^\circ)$ 

- $1/Z_t = 0.00485 \angle -76^\circ + 0.005 \angle 90^\circ$
- $= .00485 * \cos(76) \angle 0^{\circ} + .00485 * \sin(-76) \angle 90^{\circ} + .005 \angle 90^{\circ}$
- $= 0.00117 \angle 0^{\circ} + 0.0003 \angle 90^{\circ} = 0.0012 \angle 14.4^{\circ}$

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### Parallel Resonance Review

- Capacitive reactance  $X_C = 1/(2\pi fC)$  at -90°
- Inductive reactance  $X_L = 2\pi f L$  at 90°
- Impedances in parallel add as inverses
- $X_L$  and  $X_C$  cancel
- Parallel Resonance
  - High Impedance
  - Low line current (high current in the LC loop!)
- Series Resonance
  - Low impedance
  - High line current
- Resonant frequency
  - $2\pi fL = 1/(2\pi fC)$
  - $f = 1/2\pi (LC)^{\frac{1}{2}}$

# Tuning and Filters Review

- Tuning
  - $f_r = 1/2\pi (LC)^{\frac{1}{2}}$
  - Increasing L or C decreases f<sub>r</sub>
  - Decreasing L or C increases f<sub>r</sub>
- Filters
  - Low-Pass
  - High-Pass
  - Band-Pass
  - Band-Reject
- T and  $\pi$  Filter circuits



If variable capacitors or inductors are used in resonant circuits, the resonance point and bandpass frequencies can be changed to a variety of frequencies by a simple adjustment.



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### Resonant Transformer Review

- Transformers
  - Low Load: Inductive currents
  - High Load: Phase determined by the load impedance
- Resonant Transformer
  - Secondary is a **Series** resonant circuit
- Impedance Matching
  - Maximum power transfer:  $Z_L = Z_S^*$
  - The turns ratio affects the "reflected" impedances.
    - $Z_P/Z_S = (N_P/N_S)^2$
  - A Transformer can then be used to "match" dissimilar impedances (resistive) for good power transfer.

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